Grade	Standard	Benchmark	Know/Appl	Indicator	Sub-Ind.	Assessed	Non-Calc	Fin. Lit.	(Non-Assessed Indicators) / ▲ (Asessed Indicators)	Date	% Prof(+)	Date	% Prof(+)	Comments
7	1	1	K	1				$	Knows, explains, and uses equivalent representations for rational numbers and simple algebraic expressions including integers, fractions, decimals, percents, and ratios; integer bases with whole number exponents; positive rational numbers written in scientific notation with positive integer exponents; time; and money (2.4.K1a-c), e.g., 253,000 is equivalent to 2.53×10^5 or $x + 5x$ is equivalent to $6x$.				
7	1	1	K	2				$	Compares and orders rational numbers and the irrational number pi (2.4.K1a).					
7	1	1	K	3					Explains the relative magnitude between rational numbers and between rational numbers and the irrational number pi (2.4.K1a).					
7	1	1	K	4	a				Knows and explains what happens to the product or quotient when (2.4.K1a): a whole number is multiplied or divided by a rational number greater than zero and less than one,					
7	1	1	K	4	b				Knows and explains what happens to the product or quotient when (2.4.K1a): a whole number is multiplied or divided by a rational number greater than one,					
7	1	1	K	4	c				Knows and explains what happens to the product or quotient when (2.4.K1a): a rational number (excluding zero) is multiplied or divided by zero.					
7	1	1	K	5					Explains and determines the absolute value of rational numbers (2.4.K1a).					
7	1	1	A	1	a	▲		$	Generates and/or solves real-world problems using (2.4.A1a): equivalent representations of rational numbers and simple algebraic expressions, e.g., you are in the mountains. Wilson Mountain has an altitude of 5.28×10^3 feet. Rush Mountain is 4,300 feet tall. How much higher is Wilson Mountain than Rush Mountain?					
7	1	1	A	1	b			$	Generates and/or solves real-world problems using (2.4.A1a): fraction and decimal approximations of the irrational number pi, e.g., Mary measured the distance around her 48-inch diameter circular table to be 150 inches. Using this information, approximate pi as a fraction and as a decimal.					

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7	1	1	A	2				$	Determines whether or not solutions to real-world problems using rational numbers, the irrational number pi, and simple algebraic expressions are reasonable (2.4.A1a), e.g., a sweater that cost $15 is marked 1/3 off. The cashier charged $12. Is this reasonable?					
7	1	2	K	1					Knows and explains the relationships between natural (counting) numbers, whole numbers, integers, and rational numbers using mathematical models (2.4.K1a,k), e.g., number lines or Venn diagrams.					
7	1	2	K	2					Classifies a given rational number as a member of various subsets of the rational number system (2.4.K1a,k), e.g., $^{-}7$ is a rational number and an integer.					
7	1	2	K	3	a			$	Names, uses, and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): commutative properties of addition and multiplication (changing the order of the numbers does not change the solution);					
7	1	2	K	3	b			$	Names, uses, and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): associative properties of addition and multiplication (changing the grouping of the numbers does not change the solution);					
7	1	2	K	3	c			$	Names, uses, and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): distributive property [distributing multiplication or division over addition or subtraction, e.g., 2(4 – 1) = 2(4) – 2(1) = 8 – 2 = 6];					
7	1	2	K	3	d			$	Names, uses, and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): substitution property (one name of a number can be substituted for another name of the same number), e.g., if a = 2, then 3a = 3 x 2 = 6.					

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7	1	2	K	4	a			$	Uses and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): identity properties for addition and multiplication (additive identity – zero added to any number is equal to that number; multiplicative identity – one multiplied by any number is equal to that number);					
7	1	2	K	4	b			$	Uses and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): symmetric property of equality (if 7 + 2x = 9 then 9 = 7 + 2x);					
7	1	2	K	4	c			$	Uses and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): zero property of multiplication (any number multiplied by zero is zero);					
7	1	2	K	4	d			$	Uses and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): addition and multiplication properties of equality (adding/multiplying the same number to each side of an equation results in an equivalent equation);					
7	1	2	K	4	e			$	Uses and describes these properties with the rational number system and demonstrates their meaning including the use of concrete objects (2.4.K1a): additive and multiplicative inverse properties. (Every number has a value known as its additive inverse and when the original number is added to that additive inverse, the answer is zero, e.g., $^{+}5 + {}^{-}5 = 0$. Every number except 0 has a value known as its multiplicative inverse and when the original number multiplied by its inverse, the answer will be 1, e.g., 8 x 1/8 =1.)					
7	1	2	K	5					Recognizes that the irrational number pi can be represented by approximate rational values, e.g., 22/7 or 3.14.					
7	1	2	A	1	a			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): commutative and associative properties of addition and multiplication, e.g., at a delivery stop, Sylvia pulls out a flat of eggs. The flat has 5 columns and 6 rows of eggs. Express how to find the number of eggs in 2 ways.					

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7	1	2	A	1	b			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): distributive property, e.g., trim is used around the outside edges of a bulletin board with dimensions 3 ft by 5 ft. Explain two different methods of solving this problem.					
7	1	2	A	1	c			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): substitution property, e.g., V = IR [Ohm's Law: voltage (V) = current (I) x resistance (R)] If the current is 5 amps (I = 5) and the resistance is 4 ohms (R = 4), what is the voltage?					
7	1	2	A	1	d			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): symmetric property of equality, e.g., Sam took a $15 check to the bank and received a $10 bill and a $5 bill. Later Sam took a $10 bill and a $5 bill to the bank and received a check for $15. $15 = $10 + $5 is the same as $10 + $5 = $15.					
7	1	2	A	1	e			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): additive and multiplicative identities, e.g., Bob and Sue each read the same number of books. During the week, they each read 5 more books. Compare the number of books each read. Let b=the number of books Bob read and s=the number of books Sue read, then b+5=s+5					
7	1	2	A	1	f			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): zero property of multiplication, e.g., Jenny was thinking of two numbers. Jenny said that the product of the two numbers was 0. What could you deduct from this statement? Explain your reasoning.					
7	1	2	A	1	g			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): addition and multiplication properties of equality, e.g., the total price (P) of a car, including tax (T), is $14, 685. 33. If the tax is $785.42, what is the sale price of the car (S)?					

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7	1	2	A	1	h			$	Generates and/or solves real-world problems with rational numbers and the irrational number pi using the concepts of these properties to explain reasoning (2.4.K1a): additive and multiplicative inverse properties, e.g., if 5 candy bars cost $1.00, what does one candy bar cost? Explain your reasoning.					
7	1	2	A	2					Analyzes and evaluates the advantages and disadvantages of using integers, whole numbers, fractions (including mixed numbers), decimals, or the irrational number pi and its rational approximations in solving a given real-world problem (2.4.K1a, e.g., in the store everything is 25% off. When calculating the discount, which representation of 25% would you use and why?					
7	1	3	K	1				$	Estimates quantities with combinations of rational numbers and/or the irrational number pi using various computational methods including mental math, paper and pencil, concrete objects, and/or appropriate technology (2.4.K1a).					
7	1	3	K	2			N	$	Uses various estimation strategies and explains how they were used to estimate rational number quantities and the irrational number pi (2.4.K1a).					
7	1	3	K	3					Recognizes and explains the difference between an exact and approximate answer (2.4.K1a).					
7	1	3	K	4					Determines the appropriateness of an estimation strategy used and whether the estimate is greater than (overestimate) or less than (underestimate) the exact answer and its potential impact on the result (24.K1a).					
7	1	3	K	5					Knows and explains why the fraction (22/7) or decimal (3.14) representation of the irrational number pi is an approximate value (2.4.K1c).					
7	1	3	A	1				$	Adjusts original rational number estimate of a real-world problem based on additional information (a frame of reference) (2.4.A1a), e.g., estimate the weight of a bookshelf of books. Then weigh one book and adjust your estimate.					

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7	1	3	A	2					Estimates to check whether or not the result of a real-world problem using rational numbers, the irrational number pi, and/or simple algebraic expressions is reasonable and makes predictions based on the information (2.4.A1a), e.g., a goat is staked out in a pasture with a rope that is 7 feet long. The goat needs 200 square feet of grass to graze. Does the goat have enough pasture? If not, how long should the rope be?					
7	1	3	A	3					Determines a reasonable range for the estimation of a quantity given a real-world problem and explains the reasonableness of the range (2.4.A1a), e.g., how long will it take your teacher to walk two miles? The range could be 25-35 minutes.					
7	1	3	A	4				$	Determines if a real-world problem calls for an exact or approximate answer and performs the appropriate computation using various computational methods including mental math, paper and pencil, concrete objects, and/or appropriate technology (2.4.A1a), e.g., Kathy buys items at the grocery store priced at $32.56, $12.83, $6.99, and 5 for $12.49 each. She has $120 with her to pay for the groceries. To decide if she can pay for her items, does she need an exact or an approximate answer?					
7	1	4	K	1				$	Computes with efficiency and accuracy using various computational methods including mental math, paper and pencil, concrete objects, and appropriate technology (2.4.K1a-c).					
7	1	4	K	2	a	▲	N		Performs and explains these computational procedures (2.4.K1a): adds and subtracts decimals from ten millions place through hundred thousandths place;					
7	1	4	K	2	b	▲	N		Performs and explains these computational procedures (2.4.K1a): multiplies and divides a four-digit number by a two-digit number using numbers from thousands place through thousandths place;					
7	1	4	K	2	c	▲	N		Performs and explains these computational procedures (2.4.K1a): multiplies and divides using numbers from thousands place through thousandths place by 10; 100; 1,000; .1; .01; .001; or single-digit multiples of each, e.g., 54.2 ÷ .002 or 54.3 x 300;					
7	1	4	K	2	d	▲	N		Performs and explains these computational procedures (2.4.K1a): adds, subtracts, multiplies, and divides fractions and expresses answers in simplest form;					

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7	1	4	K	2	e		N		Performs and explains these computational procedures (2.4.K1a): adds, subtracts, multiplies, and divides integers;					
7	1	4	K	2	f		N		Performs and explains these computational procedures (2.4.K1a): uses order of operations (evaluates within grouping symbols, evaluates powers to the second or third power, multiplies or divides in order from left to right, then adds or subtracts in order from left to right) using whole numbers;					
7	1	4	K	2	g				Performs and explains these computational procedures (2.4.K1a): simplifies positive rational numbers raised to positive whole number powers;					
7	1	4	K	2	h				Performs and explains these computational procedures (2.4.K1a): combines like terms of a first degree algebraic expression.					
7	1	4	K	3					Recognizes, describes, and uses different ways to express computational procedures, e.g., 5 – 2 = 5 + (⁻2) or 49 x 23 = (40 x 23) + (9 x 23) or 49 x 23 = (49 x 20) + (49 x 3) or 49 x 23 = (50 x 23) – 23.					
7	1	4	K	4					Finds prime factors, greatest common factor, multiples, and the least common multiple (2.4.K1d).					
7	1	4	K	5		▲		$	Fnds percentages of rational numbers (2.4.K1a,c), e.g., 12.5% x $40.25 = n or 150% of 90 is what number? (For the purpose of assessment, percents will not be between 0 and 1.)					
7	1	4	A	1	a	■		$	Generates and/or solves one- and two-step real-world problems using these computational procedures and mathematical concepts (2.4.A1a): addition, subtraction, multiplication, and division of rational numbers with a special emphasis on fractions and expressing answers in simplest form, e.g., at the candy store, you buy ¾ of a pound of peppermints and ½ of a pound of licorice. The cost per pound for each kind of candy is $3.00. What is the total cost of the candy purchased?					

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7	1	4	A	1	b			$	Generates and/or solves one- and two-step real-world problems using these computational procedures and mathematical concepts (2.4.A1a): addition, subtraction, multiplication, and division of rational numbers with a special emphasis on integers, e.g., the high temperatures for the week were: $^{-}4^{o}$, 10^{o}, $^{-}1^{o}$, 0^{o}, 7^{o}, 3^{o}, and $^{-}5^{o}$. What is the mean temperature for the week?					
7	1	4	A	1	c			$	Generates and/or solves one- and two-step real-world problems using these computational procedures and mathematical concepts (2.4.A1a): first degree algebraic expressions in one variable, e.g., Jenny rents 3 videos plus $20 of other merchandise. Barb rents 5 videos plus $15 of other merchandise. Represent the total purchases of Jenny and Barb using V as the price of a video rental.					
7	1	4	A	1	d			$	Generates and/or solves one- and two-step real-world problems using these computational procedures and mathematical concepts (2.4.A1a): percentages of rational numbers, e.g., if the sales tax is 5.5%, what is the sales tax on an item that costs $36?					
7	1	4	A	1	e			$	Generates and/or solves one- and two-step real-world problems using these computational procedures and mathematical concepts (2.4.A1a): approximation of the irrational number pi, e.g., what is the approximate diameter of a 400-meter circular track?					
7	2	1	K	1	a				Identifies, states, and continues a pattern presented in various formats including numeric (list or table), algebraic (symbolic notation), visual (picture, table, or graph), verbal (oral description), kinesthetic (action), and written using these attributes: counting numbers including perfect squares, cubes, and factors and multiples (number theory) (2.4.K1a);					
7	2	1	K	1	b	▲			Identifies, states, and continues a pattern presented in various formats including numeric (list or table), algebraic (symbolic notation), visual (picture, table, or graph), verbal (oral description), kinesthetic (action), and written using these attributes: positive rational numbers including arithmetic and geometric sequences (arithmetic: sequence of numbers in which the difference of two consecutive numbers is the same, geometric: a sequence of numbers in which each succeeding term is obtained by multiplying the preceding term by the same number) (2.4.K1a), e.g., 2, ½, 1/8, 1/32, …;					

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7	2	1	K	1	c	▲			Identifies, states, and continues a pattern presented in various formats including numeric (list or table), algebraic (symbolic notation), visual (picture, table, or graph), verbal (oral description), kinesthetic (action), and written using these attributes: geometric figures (2.4.K1f);					
7	2	1	K	1	d				Identifies, states, and continues a pattern presented in various formats including numeric (list or table), algebraic (symbolic notation), visual (picture, table, or graph), verbal (oral description), kinesthetic (action), and written using these attributes: measurements (2.4.K1a);					
7	2	1	K	1	e				Identifies, states, and continues a pattern presented in various formats including numeric (list or table), algebraic (symbolic notation), visual (picture, table, or graph), verbal (oral description), kinesthetic (action), and written using these attributes: things related to daily life (2.4.K1a), e.g., tide, moon cycle, or temperature.					
7	2	1	K	2				$	Generates a pattern (2.4.K1a).					
7	2	1	K	3					Extends a pattern when given a rule of one or two simultaneous changes (addition, subtraction, multiplication, division) between consecutive terms (2.4.K1a), e.g., find the next three numbers in a pattern that starts with 3, where you double and add 1 to get the next number; the next three numbers are 7, 15, and 31.					
7	2	1	K	4		▲ ■			States the rule to find the n^{th} term of a pattern with one operational change (addition or subtraction) between consecutive terms (2.4.K1a), e.g., given 3, 5, 7, and 9; the n^{th} term is 2n +1. (This is the explicit rule for the pattern.)					
7	2	1	A	1					Generalizes a pattern by giving the n^{th} term using symbolic notation (2.4.A1a,f), e.g., given the following, the n^{th} term is 2n. 1 person has 2 eyes 2 people have 4 eyes 3 people have 6 eyes 4 people have 8 eyes n people have 2n eyes					
7	2	1	A	2				$	Recognizes the same general pattern presented in different representations [numeric (list or table), visual (picture, table, or graph), and written] (2.4.A1a,f,j-k).					
7	2	2	K	1					Knows and explains that a variable can represent a single quantity that changes (2.4.K1a), e.g., daily temperature.					

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7	2	2	K	2					Knows, explains, and uses equivalent representations for the same simple algebraic expressions (2.4.K1a), e.g., x + y + 5x is the same as 6x + y.					
7	2	2	K	3					Shows and explains how changes in one variable affects other variables (2.4.A1a), e.g., changes in diameter affects circumference.					
7	2	2	K	4					Explains the difference between an equation and an expression.					
7	2	2	K	5	a			$	Solves (2.4.K1a,e): one-step linear equations in one variable with positive rational coefficients and solutions, e.g., 7x = 28 or x + 3/4 = 7 or x/3 = 5;					
7	2	2	K	5	b			$	Solves (2.4.K1a,e):two-step linear equations in one variable with counting number coefficients and constants and positive rational solutions;					
7	2	2	K	5	c			$	Solves (2.4.K1a,e):one-step linear inequalities with counting numbers and one variable, e.g., 3x > 12.					
7	2	2	K	6				$	Explains and uses the equality and inequality symbols (=, ¹, <, ≤, >, ≥) and corresponding meanings (is equal to, is not equal to, is less than, is less than or equal to, is greater than, is greater than or equal to) to represent mathematical relationships with rational numbers (2.4.K1a).					
7	2	2	K	7		▲		$	Knows the mathematical relationship between ratios, proportions, and percents and how to solve for a missing term in a proportion with positive rational number solutions and monomials (2.4.K1a,c), e.g., 5/6 = 2/x					
7	2	2	K	8		▲		$	Evaluates simple algebraic expressions using positive rational numbers (2.4.K1c), e.g., if x = 3/2, y = 2, then 5xy + 2 = 5(3/2)(2) + 2 = 17.					
7	2	2	A	1		▲		$	Represents real-world problems using variables and symbols to write linear expressions, one- or two-step equations (2.4.A1e), e.g., John has three times as much money as his sister. If M is the amount of money his sister has, what is the equality that represents the amount of money that John has? To represent the problem situation, J = 3M could be written.					

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7	2	2	A	2				$	Solves real-world problems with one- or two-step linear equations in one variable with whole number coefficients and constants and positive rational solutions intuitively and analytically (2.4.A1e), e.g., Kim has read 5 more than twice the number of pages as Hank. Kim has read 15 pages. How many pages has Hank read? To solve analytically, write 2h + 5 = 15. Then find the answer.					
7	2	2	A	3				$	Generates real-world problems that represent one- or two-step linear equations (2.4.A1e), e.g., given the equation x + 10 = 30, the problem could be: Two items cost $30.00. If one item costs $10.00, what is the cost of the other item?					
7	2	2	A	4				$	Explains the mathematical reasoning that was used to solve a real-world problem using a one- or two-step linear equation (2.4.A1e), e.g., Kim has read 5 more than twice the number of pages as Hank. Kim has read 15 pages. How many pages has Hank read? To solve, write 2h + 5 = 15. Let h=number of pages Hank read. Then to find the answer subtract 5 from both sides of the equation. 2h = 10, then divide both sides of the equation by 2, so h = 5.					
7	2	3	K	1				$	Recognizes constant and linear relationships using various methods including mental math, paper and pencil, concrete objects, and graphing utilities or appropriate technology (2.4.K1a,e-g).					
7	2	3	K	2					Finds the values and determines the rule through two operations using a function table (input/output machine, T-table) (2.4.K1f).					
7	2	3	K	3					Demonstrates mathematical relationships using ordered pairs in all four quadrants of a coordinate plane (2.4.K1g).					
7	2	3	K	4				$	Describes and/or gives examples of mathematical relationships that remain constant (2.4.K1e-g), e.g., you will get $10.00 to do a job, no matter how long it takes for you to do it.					

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7	2	3	A	1				$	Represents a variety of constant and linear relationships using written or oral descriptions of the rule, tables, graphs, and when possible, symbolic notation (2.4.A13-g,k), e.g., the relationship between cars and their wheels (written) becomes a table: Cars | Wheels 1 | 4 à (1,4) 2 | 8 à (2,8) 10 | 40 à (10,40) . | . . | . . | . n | 4n and then the ordered pairs of (1,4), (2,8), (10,40), and (n,4n) can be graphed.					
7	2	3	A	2				$	Interprets, describes, and analyzes the mathematical relationships of numerical, tabular, and graphical representations, including translations between the representations (2.4.A1k).					
7	2	4	K	1	a				Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: process models (concrete objects, pictures, diagrams, number lines, hundred charts, measurement tools, multiplication arrays, division sets, or coordinate grids) to model computational procedures, algebraic relationships, and mathematical relationships and to solve equations (1.1.K1-5, 1.2.K1-4, 1.3.K1-4, 1.4.K1-2, 1.4.K5, 2.1.K1a-b, 2.1.K1e. 2.1.K2-4, 2.2.K1-3, 2.2.K5-6, 2.3.K1, 3.1.K9, 3.2.K1-3, 3.2.K9, 3.3.K1-4, 3.4.K1, 4.2.K4-6) **($)**;					
7	2	4	K	1	b			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: place value models (place value mats, hundred charts, base ten blocks, or unifix cubes) to compare, order, and represent numerical quantities and to model computational procedures (1.1.K1, 1.4.K2);					

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7	2	4	K	1	c			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: fraction and mixed number models (fraction strips or pattern blocks) and decimal and money models (base ten blocks or coins) to compare, order, and represent numerical quantities (1.1.K1, 1.3.K5, 1,4,K2, 2.2.K7-8, 4.1.K3):					
7	2	4	K	1	d				Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: factor trees to find least common multiple and greatest common factor and to model prime factorization (1.4.K4);					
7	2	4	K	1	e			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: equations and inequalities to model numerical relationships (2.2.K5, 2.3.K1, 23.K4);					
7	2	4	K	1	f			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: function tables to model numerical and algebraic relationships (2.3.K1-2, 2.3.K4);					
7	2	4	K	1	g			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: coordinate planes to model relationships between ordered pairs and linear equations (2.3.K1, 2.3.K3-4, 3.4.K2-4);					
7	2	4	K	1	h				Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: two- and three-dimensional geometric models (geoboards, dot paper, nets or solids) to model perimeter, area, volume, and surface area, and properties of two- and three-dimensional (2.1.K1c, 3.1.K1, 3.1.K3-8, 3.1.K10, 3.2.K1-2, 3.2.K4-8, 3.2.K10);					

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7	2	4	K	1	i			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: geometric models (spinners, targets, or number cubes), process models (coins, pictures, or diagrams), and tree diagrams to model probability (4.1.K1, 4.1.K4);					
7	2	4	K	1	j			$	Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: frequency tables, bar graphs, line graphs, circle graphs, Venn diagrams, charts, tables, single stem-and-leaf plots, scatter plots, and box-and-whisker plots to organize and display data (4.2.K1);					
7	2	4	K	1	k				Knows, explains, and uses mathematical models to represent and explain mathematical concepts, procedures, and relationships. Mathematical models include: Venn diagrams to sort data and show relationships (1.2.K1-2).					
7	2	4	A	1	a				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include:					
7	2	4	A	1	b			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: place value models (place value mats, hundred charts, base ten blocks, or unifix cubes) to model problem situations (1.1.A1a, 1.1.A2a, 1.2.A12, 1.3A1.2, 1.4.A3a-e, 2.2.A3);					
7	2	4	A	1	c			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: fraction and mixed number models (fraction strips or pattern blocks) and decimal and money models (base ten blocks or coins) to compare, order, and represent numerical quantities (1.1.A1b, 1.1.A2b, 1.2.A1-2, 1.3.A1-2);					
7	2	4	A	1	d				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: factor trees to find least common multiple and greatest common factor and to model prime factorization (1.4.K5)					

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7	2	4	A	1	e			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: equations and inequalities to model numerical relationships (2.2.A1-4, 2.3.A1, 3.2.A1e).					
7	2	4	A	1	f			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: function tables to model numerical and algebraic relationships (2.1.A1-2, 2.3.A1);					
7	2	4	A	1	g				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: coordinate planes to model relationships between ordered pairs and linear equations (2.3.A1, 3.4.A1);					
7	2	4	A	1	h				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: two- and three-dimensional geometric models (geoboards, dot paper, nets or solids) to model perimeter, area, volume, and surface area, and properties of two- and three-dimensional models (3.1.A2-3, 3.2.A1b-c, 3.2.A1e, 3.3.A2, 3.4.A1);					
7	2	4	A	1	i				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: scale drawings to model large and small real-world objects (3.3.A3);					
7	2	4	A	1	j			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: geometric models (spinners, targets, or number cubes), process models (coins, pictures, or diagrams), and tree diagrams to model probability (4.1.A1);					
7	2	4	A	1	k			$	Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: frequency tables, bar graphs, line graphs, circle graphs, Venn diagrams, charts, tables, single stem-and-leaf plots, scatter plots, and box-and-whisker plots to describe, interpret, and analyze data (2.1.A2, 2.3.A1-2, 4.1.A1-2, 4.2.A1-3);					
7	2	4	A	1	l				Recognizes that various mathematical models can be used to represent the same problem situation. Mathematical models include: Venn diagrams to sort data and show relationships					

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7	2	4	A	2					Selects a mathematical model and justifies why some mathematical models are more accurate than other mathematical models in certain situations, e.g., recognizes that change over time is better represented through a line graph than through a table of ordered pairs.					
7	2	4	A	3					Uses the mathematical modeling process to make inferences about real-world situations when the mathematical model used to represent the situation is given.					
7	3	1	K	1					Recognizes and compares properties of two- and three-dimensional figures using concrete objects, constructions, drawings, appropriate terminology, and appropriate technology (2.4.K1h).					
7	3	1	K	2					Classifies regular and irregular polygons having through ten sides as convex or concave.					
7	3	1	K	3	a	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): sum of the interior angles of any triangle is 180°;					
7	3	1	K	3	b	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): sum of the interior angles of any quadrilateral is 360°;					
7	3	1	K	3	c	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): parallelograms have opposite sides that are parallel and congruent;					
7	3	1	K	3	d	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): rectangles have angles of 90°, opposite sides are congruent;					
7	3	1	K	3	e	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): rhombi have all sides the same length, opposite angles are congruent;					
7	3	1	K	3	f	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): squares have angles of 90°, all sides congruent;					
7	3	1	K	3	g	▲			Identifies angle and side properties of triangles and quadrilaterals (2.4.K1h): trapezoids have one pair of opposite sides parallel and the other pair of opposite sides are not parallel.					
7	3	1	K	4	a				Identifies and describes (2.4.K1h): the altitude and base of a rectangular prism and triangular prism,					
7	3	1	K	5	b				Identifies and describes (2.4.K1h): the radius and diameter of a cylinder.					

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7	3	1	K	5					Identifies corresponding parts of similar and congruent triangles and quadrilaterals (2.4.K1h).					
7	3	1	K	6					Uses symbols for right angle within a figure, parallel (||), perpendicular (^), and triangle (Δ) to describe geometric figures(2.4.K1h).					
7	3	1	K	7	a				Classifies triangles as (2.4.K1h): scalene, isosceles, or equilateral;					
7	3	1	K	7	b				Classifies triangles as (2.4.K1h): right, acute, obtuse, or equiangular.					
7	3	1	K	8					Determines if a triangle can be constructed given sides of three different lengths(2.4.K1h). (Using the Pythagorean theorem)					
7	3	1	K	9					Generates a pattern for the sum of angles for 3-, 4-, 5-, … n-sides polygons (2.4.K1a).					
7	3	1	K	10					Describes the relationship between the diameter and the circumference of a circle (2.4.K1h).					
7	3	1	A	1	a				Solves real-world problems by applying the properties of (2.4.A1a): plane figures (regular and irregular polygons through 10 sides, circles, and semicircles) and the line(s) of symmetry; e.g., two guide wires are used to stabilize a tower. The wires with the ground form an isosceles triangle. The two base angles form 20º angles with the ground. What is the size of the vertex angle made where the wires meet on the tower?					
7	3	1	A	1	b				Solves real-world problems by applying the properties of (2.4.A1a): solids (cubes, rectangular prisms, cylinders, cones, spheres, triangular prisms) emphasizing faces, edges, vertices, and bases; e.g., lace is to be glued on all of the edges of a cube. If one edge measures 34 cm, how much lace is needed?					
7	3	1	A	2	a				Decomposes geometric figures made from(2.4.A1h): regular and irregular polygons through 10 sides, circles, and semicircles;					
7	3	1	A	2	b				Decomposes geometric figures made from(2.4.A1h): nets (two-dimensional shapes that can be folded into three-dimensional figures), e.g., the cardboard net that becomes a shoebox;					
7	3	1	A	2	c				Decomposes geometric figures made from(2.4.A1h): prisms, pyramids, cylinders, cones, spheres, and hemispheres.					
7	3	1	A	3	a				Composes geometric figures made from (2.4.A1h): regular and irregular polygons through 10 sides, circles, and semicircles;					

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7	3	1	A	3	b				Composes geometric figures made from (2.4.A1h): nets (two-dimensional shapes that can be folded into three-dimensional figures);					
7	3	1	A	3	c				Composes geometric figures made from (2.4.A1h): prisms, pyramids, cylinders, cones, spheres, and hemispheres.					
7	3	2	K	1				$	Determines and uses rational number approximations (estimations) for length, width, weight, volume, temperature, time, perimeter, and area using standard and nonstandard units of measure (2.4.K1a).					
7	3	2	K	2				$	Selects and uses measurement tools, units of measure, and level of precision appropriate for a given situation to find accurate rational number representations for length, weight, volume, temperature, time, perimeter, area, and angle measurements (2.4.K1a).					
7	3	2	K	3					Converts within the customary system and within the metric system (2.4.K1a).					
7	3	2	K	4		▲			Knows and uses perimeter and area formulas for circles, squares, rectangles, triangles, and parallelograms (2.4.K1h).					
7	3	2	K	5					Finds perimeter and area of two-dimensional composite figures of circles, squares, rectangles, and triangles (2.4.K1h).					
7	3	2	K	6	a	▲			Uses given measurement formulas to find (2.4.K1h): surface area of cubes,					
7	3	2	K	6	b	▲			Uses given measurement formulas to find (2.4.K1h): volume of rectangular prisms.					
7	3	2	K	7					Finds surface area of rectangular prisms using concrete objects (2.4.K1h).					
7	3	2	K	8					Uses appropriate units to describe rate as a unit of measure (2.4.K1a), e.g., miles per hour.					
7	3	2	K	9					Finds missing angle measurements in triangles and quadrilaterals (2.4.K1h).					
7	3	2	A	1	a			$	Solves real-world problems by: converting within the customary and metric systems (2.4.A1a), e.g., James added 30 grams of sand to his model boat that weighed 2 kg. With the sand included, what is the total weight of his boat in kg?					

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7	3	2	A	1	b			$	Solves real-world problems by: finding perimeter and area of circles, squares, rectangles, triangles, and parallelograms (2.4.A1h), e.g., the dimensions of a room are 22' x 12'. What is the total length of wallpaper border needed?					
7	3	2	A	1	c	▲ ■		$	Solves real-world problems by: finding perimeter and area of two-dimensional composite figures of squares, rectangles, and triangles (2.4.A1h), e.g., the front of a barn is rectangular in shape with a height of 10 feet and a width of 48 feet. Above the rectangle is a triangle that is 7 feet high with sides 25 feet long. What is the area of the front of the barn?					
7	3	2	A	1	d			$	Solves real-world problems by: using appropriate units to describe rate as a unit of measure (2.4.A1a), e.g., a person traveled 20 miles in 10 minutes. What is the rate of travel? The answer could be 2 miles per minute or 120 miles per hour.					
7	3	2	A	1	e			$	Solves real-world problems by: finding missing angle measurements in triangles and quadrilaterals (2.4.A1h), e.g., a fenced pasture is a quadrilateral with angles of 30^{o}, 120^{o}, and 90^{o} degrees. What is the measure of the fourth angle?					
7	3	2	A	1	f			$	Solves real-world problems by: applying various measurement techniques (selecting and using measurement tools, units of measure, and level of precision) to find accurate rational number representations for length, weight, volume, temperature, time, perimeter, and area appropriate to a given situation (2.4.A1a).					
7	3	2	A	2				$	Estimates to check whether or not measurements or calculations for length, width, weight, volume, temperature, time, perimeter, and area in real-world problems are reasonable and adjusts original measurement or estimation based on additional information (a frame of reference) (2.4.A1a), e.g., students estimate the weight of their book in grams. Then the weight of their calculator is measured in grams. Students then adjust their estimate.					
7	3	3	K	1					Identifies, describes, and performs single and multiple transformations [reflection, rotation, translation, reduction (contraction/shrinking), enlargement (magnification/growing)] on a two-dimensional figure (2.4.K1a).					

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7	3	3	K	2					Identifies three-dimensional figures from various perspectives (top, bottom, sides, corners) (2.4.K1a).					
7	3	3	K	3					Draws three-dimensional figures from various perspectives (top, bottom, sides, corners) (2.4.K1a).					
7	3	3	K	4					Generates a tessellation (2.4.K1a).					
7	3	3	A	1					Describes the impact of transformations [reflection, rotation, translation, reduction (contraction/shrinking), enlargement (magnification/growing)] on the perimeter and area of squares and rectangles (2.4.A1a); e.g., when a square is rotated, the perimeter and area stays the same, however, when the length of the sides of a square are tripled, the perimeter triples, and the area is 9 times bigger.					
7	3	3	A	2					Investigates congruency and similarity of geometric figures using transformations (2.4.A1h).					
7	3	3	A	3		▲ ■			Determines the actual dimensions and/or measurements of a two-dimensional figure represented in a scale drawing (2.4.A1i).					
7	3	4	K	1					Finds the distance between the points on a number line by computing the absolute value of their difference (2.4.K1a).					
7	3	4	K	2	a				Uses all four quadrants of a coordinate plane to (2.4.K1g): identify in which quadrant or on which axis a point lies when given the coordinates of a point,					
7	3	4	K	2	b				Uses all four quadrants of a coordinate plane to (2.4.K1g): plot points,					
7	3	4	K	2	c				Uses all four quadrants of a coordinate plane to (2.4.K1g): identify points,					
7	3	4	K	2	d				Uses all four quadrants of a coordinate plane to (2.4.K1g): list through five ordered pairs of a given line.					
7	3	4	K	3					Uses a given linear equation with whole number coefficients and constants and a whole number solution to find the ordered pairs, organize the ordered pairs using a T-table, and plot the ordered pairs on the coordinate plane (2.4.K1e-g).					
7	3	4	K	4					Examines characteristics of two-dimensional figures on a coordinate plane using various methods including mental math, paper and pencil, concrete objects, and graphing utilities or other appropriate technology (2.4.A1g).					

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7	3	4	A	1	a				Represents and/or generates real-world problems using a coordinate plane to find (2.4.A1g-h): perimeter of squares and rectangles; e.g., using a coordinate plane Jack started at the school (1, 2), traveled to the post office (3 ½, 2), then went by the fire station (3 ½, 3), then visited the park (1, 3), and finally returned to the school. Determine the distance Jack traveled.					
7	3	4	A	1	b				Represents and/or generates real-world problems using a coordinate plane to find (2.4.A1g-h): circumference (perimeter) of circles, e.g., Jane jogs on a circular track with a radius of 100 feet. How far would she jog in one lap?					
7	3	4	A	1	c				Represents and/or generates real-world problems using a coordinate plane to find (2.4.A1g-h): area of circles, parallelograms, triangles, squares, and rectangles; e.g., if the sprinkler head is centered at (3, 4) and we know it reaches point (3, - 2) on the coordinate plane, determine the area being watered.					
7	4	1	K	1				$	Finds the probability of a compound event composed of two independent events in an experiment or simulation (2.4.K1i).					
7	4	1	K	2					Explains and gives examples of simple or compound events in an experiment or simulation having probability of zero or one.					
7	4	1	K	3	a				Uses a fraction, decimal, and percent to represent the probability of (2.4.K1c): a simple event in an experiment or simulation;					
7	4	1	K	3	b				Uses a fraction, decimal, and percent to represent the probability of (2.4.K1c): a compound event composed of two independent events in an experiment or simulation.					
7	4	1	K	4					Finds the probability of a simple event in an experiment or simulation using geometric models (2.4.K1i), e.g., using spinners or dartboards, what is the probability of landing on 2? The answer is ¼, .25, or 25%.					
7	4	1	A	1					Conducts an experiment or simulation with a compound event composed of two independent events including the use of concrete objects; records the results in a chart, table, or graph; and uses the results to draw conclusions and make predictions about future events (2.4.A1j-k).					

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7	4	1	A	2					Analyzes the results of an experiment or simulation of a compound event composed of two independent events to draw conclusions, generate convincing arguments, and make predictions and decisions in a variety of real-world situations (2.4.A1j-k).					
7	4	1	A	3					Compares results of theoretical (expected) probability with empirical (experimental) probability in an experiment or situation with a compound event composed of two simple independent events and understands that the larger the sample size, the greater the likelihood that the experimental results will equal the theoretical probability(2.4.A1j).					
7	4	1	A	4					Makes predictions based on the theoretical probability of a simple event in an experiment or simulation (2.4.A1j).					
7	4	2	K	1	a	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): frequency tables;					
7	4	2	K	1	b	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): bar, line, and circle graphs;					
7	4	2	K	1	c	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): Venn diagrams or other pictorial displays;					
7	4	2	K	1	d	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): charts and tables;					
7	4	2	K	1	e	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): stem-and-leaf plots (single);					

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7	4	2	K	1	f	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): scatter plots;					
7	4	2	K	1	g	▲			Organizes, displays, and reads quantitative (numerical) and qualitative (non-numerical) data in a clear, organized, and accurate manner including a title, labels, categories, and rational number intervals using these data displays (2.4.K1j): box-and-whiskers plots.					
7	4	2	K	2					Selects and justifies the choice of data collection techniques (observations, surveys, or interviews) and sampling techniques (random sampling, samples of convenience, or purposeful sampling) in a given situation.					
7	4	2	K	3					Conducts experiments with sampling and describes the results.					
7	4	2	K	4				$	Determines the measures of central tendency (mode, median, mean) for a rational number data set (2.4.K1a).					
7	4	2	K	5				$	Identifies and determines the range and the quartiles of a rational number data set (2.4.K1a).					
7	4	2	K	6				$	Identifies potential outliers within a set of data by inspection rather than formal calculation (2.4.K1a), e.g., consider the data set of 1, 100, 101, 120, 140, and 170; the outlier is 1.					
7	4	2	A	1	a			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): frequency tables;					
7	4	2	A	1	b			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): bar, line, and circle graphs;					
7	4	2	A	1	c			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): Venn diagrams or other pictorial displays;					

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7	4	2	A	1	d			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): charts and tables;					
7	4	2	A	1	e			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): stem-and-leaf plots (single);					
7	4	2	A	1	f			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): scatter plots;					
7	4	2	A	1	g			$	Uses data analysis (mean, median, mode, range) of a rational number data set to make reasonable inferences and predictions, to analyze decisions, and to develop convincing arguments from these data displays (2.4.A1k): box-and-whiskers plots.					
7	4	2	A	2				$	Explains advantages and disadvantages of various data displays for a given data set (2.4.A1k).					
7	4	2	A	3	a	▲			Recognizes and explains (2.4.A1k): misleading representations of data;					
7	4	2	A	3	b	▲			Recognizes and explains (2.4.A1k): the effects of scale or interval changes on graphs of data sets.					
7	4	2	A	4				$	Determines and explains the advantages and disadvantages of using each measure of central tendency and the range to describe a data set (2.4.A1a).					
0														